1. The oil flow from a well is highest when the well is first tapped and decreases over time by a specific percentage each month that the well is tapped. Suppose a particular well had a flow of 1000 barrels per day when it was first tapped and that its flow has been decreasing by $6 \%$ per month since then. Express the relationship between the flow rate in barrels/day and the number of months since the well was first tapped.

Let $t=$ the number of months since the well was first tapped. $F(t)=$ the flow rate, in barrels/day, after $t$ months of production

What flow rate would you expect the well to show after 2 years of production?

| t | $\mathrm{F}(\mathrm{t})$ |
| :---: | :---: |
| 0 | 1000.00 |
| 1 |  |
| 2 |  |
| 3 |  |
| 4 |  |
| 5 |  |
| 6 |  |
| 7 |  |
| 8 |  |
| 9 |  |
| 10 |  |
| 11 |  |
| 12 |  |
| 24 |  |


2. The net annual income of the Acme Co. was $\$ 240$ million in 1990 and has been increasing at the rate of $10 \%$ per year since. If we let $t=$ the number of years since 1990 and $A(t)=$ Acme Co.'s net annual income $t$ years after 1990, can we represent $A(t)$ as a function of $t$ ?

Complete the table below and plot $\mathrm{A}(\mathrm{t})$ vs t using the grid below.

| Years | Acme Co.'s |  | Ratio |
| :---: | :---: | :---: | :---: |
| Since <br> 1990 | Net Annual <br> Income <br> (\$millions) <br> $\mathrm{t}(\mathrm{t})$ | $\Delta \mathrm{A}(\mathrm{t})$ | $\frac{A(t)}{A(t-1)}$ |
| 0 | 240.00 |  |  |
| 1 |  |  |  |
| 2 |  |  |  |
| 3 |  |  |  |
| 4 |  |  |  |
| 5 |  |  |  |
| 6 |  |  |  |



