MATH 160 Session #14

1. As x approaches zero, but is not exactly zero, what happens to the value of f(x) in each case?

a.
$$f(x) = 3x^2 + 5x + 11$$

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 b. $f(x) = 400e^{0.10x}$

2. As x approaches four, but is not exactly four, what happens to the value of f(x) in each case?

a.
$$f(x) = \frac{2}{(x-4)^2}$$

b.
$$f(x) = x^2 - 6x + 8$$

If f is a function of x and as x approaches a (without actually getting to a), f(x)approaches the number L, then we say "L is the limit of f(x) as x approaches a," and we write

$$\lim_{x\to a} \mathbf{f}(\mathbf{x}) = \mathbf{L}.$$

3. Evaluate the following limits.

a.
$$\lim_{x\to 5} (4x + 8)$$

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 b. $\lim_{x \to 5} \frac{x^2 - 25}{x - 5}$ **c.** $\lim_{x \to 5} 25 - x^2$

c.
$$\lim_{x\to 5} 25 - x^2$$

4. As x becomes a very large positive number (increases without bound), what happens to the value of f(x) in each case?

$$\mathbf{a.} \qquad \mathbf{f}(\mathbf{x}) = \frac{100}{x}$$

$$f(x) = \frac{100}{x}$$
 b. $f(x) = \frac{8x^2 - 20x + 11}{2x^2}$ c. $f(x) = 5x$

c.
$$f(x) = 5x$$

If f(x) approaches the number L as x becomes large without bound, then we say that L is the limit of f(x) as x approaches ∞ .

5. Evaluate the following limits.

$$\lim_{x \to \infty} \frac{100}{x}$$

a.
$$\lim_{x \to \infty} \frac{100}{x}$$
 b. $\lim_{x \to \infty} \frac{7 + 12x}{x}$ **c.** $\lim_{x \to \infty} 200e^{-5x}$

c.
$$\lim_{x\to\infty} 200e^{-5x}$$