2.	(15 points) Consider the following axiom system.
	Undefined Terms: point, line, on  Axiom 1: Any two distinct points are on exactly one line.  Axiom 2: There exist at least three points not all of which are on the same line.  Axiom 3: Each line is on at least two distinct points.  Axiom 4: If \( \ell \) is a line and P is a point not on the line, there exists another line that is on P but is not on any point that is also on \( \ell \).
(	a) Verify the consistency of this axiom system with the use of a model.
	dots in points (urves in lines )
	Our existence of a model establisher the consistency of our axiom system.
	b) Show that Axiom 2 is independent of the other axioms. Start by explaining your strategy.
V	We establish the independence of A2 by displaying a model sefisfying A1, A3, A4 but not A2.  Model 1: the empty set v  model 2:
(	c) In this geometry prove or disprove: There exists at least four points
	By AZ there exists 3 points say A,B, & that are not on the same fine. By AI, A and B are on the same line l. V By A4 there is another line on that contains CV that has no points in common with l. By A3, line on must contain a point 1) other than CV. Of course D is neither
	A nor B, so D is a fourth point. Consequently there exists at least four points.