1. Write each of the numbers $0.555,0.5,0.55$ in expanded notation.
2. Place the numbers $0.555,0.5,0.55$ in order from smallest to largest. Use the grid to draw a picture illustrating the largest number.

3. Each common fraction has a decimal representation. In some cases the decimal representation terminates; it other cases we can only find a nonterminating, but repeating, representation. Specify exact decimal representations for the following common fractions.
$3 / 4$
3/7
5/16
7/9

7/900
4. Complete the following statements. If a common fraction is specified, you write its decimal representation. If a decimal is specified, you write a common fraction representation.

$$
\begin{array}{ll}
1 / 9 & = \\
4 / 9 & = \\
& =0.55555 \ldots \\
5 / 10= \\
8 / 9 & = \\
\hline
\end{array}
$$

$$
1 / 99=
$$

$\qquad$

$$
7 / 99=
$$

$$
23 / 99=
$$

$$
\ldots=0.060606 \ldots
$$

$$
\ldots=0.717171 \ldots
$$

5. Comment on any patterns you found in completing item \#4 above.
6. Look for patterns in completing the following statements
$\qquad$
$\qquad$ $2 / 90=$ $\qquad$ $2 / 900=$ $=0.44444 \ldots$
$=0.0444444 \ldots$ $=0.0044444 \ldots$

$\qquad$
$\qquad$
$\qquad$ $2 / 990=$ $\qquad$ $2 / 9900=$
$13 / 99=$ $\qquad$
$2 / 990=$
$13 / 990=$
13/9900 =
71/99 = $\qquad$ $71 / 990=$ $\qquad$ $71 / 9900=$ $=0.535353 \ldots$ $\qquad$ $=0.0535353 \ldots$ $\qquad$
$工=0.010101 \ldots$ $\qquad$

$$
=0.0010101 \ldots
$$

$\qquad$ $=0.00010101 \ldots$
$1 / 999=$ $\qquad$ $1 / 9990=$ $\qquad$ $1 / 99900=$
$13 / 999=$ $\qquad$ $13 / 9990=$ $\qquad$ $13 / 99900=$ 237/999 = $\qquad$ $237 / 9990=$ 237/99900 =
$\qquad$ $=0.537537537 \ldots$
$\qquad$ $=0.0537537537 \ldots$ $\qquad$ $=0.00537537537 \ldots$
7. Comment on any patterns you observed in working item \#6 above. Exploit those patterns in finding common fraction representations for each of the following decimals.
$0.616161 \ldots=$ $\qquad$
$0.888 \ldots=$ $\qquad$
$0.7777=$ $\qquad$ (Careful!)
$0.345345345 \ldots=$ $\qquad$
0.0888... = $\qquad$ $0.00888 \ldots=$
$1.555 \ldots=$ $\qquad$
$0.00272727 \ldots=$ $\qquad$

$$
0.5333 \ldots=
$$

