

Ex 2.2

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sequence 1:

n	Sn
1	6
2	12 > 6 > 2
3	20 > 8 > 2
4	30 > 10 > 2

sequence 2:

n	Rn
1	126
2	124 > -2
3	122 > -2
4	120 > -2

Understanding the problem:

- Both sequences have a pattern so first I will try and find a pattern based on the part of the sequence I know.

Devising a plan:

- when I find a pattern, I will be able to determine the value in which the two graphs will intersect.

Carrying out the plan:

Sequence 1 had a second difference of 2.

which is a finite difference.

$S_n = (n+1)^2 + (n+1)$ the algebraic note for

Sequence 1 is $S_n = (n+1)^2 + (n+1)$.

n=1

$S_n = (1+1)^2 + (1+1)$

$S_n = 2^2 + 2$

$S_n = 4 + 2$

$S(1) = 6$

n=2

$S_n = (2+1)^2 + (2+1)$

$S_n = 3^2 + 3$

$S_n = 9 + 3$

$S(2) = 12$

n=3

$S_n = (3+1)^2 + (3+1)$

$S_n = 4^2 + 4$

$S_n = 16 + 4$

$S(3) = 20$

Sequence 2 has a pattern of minus 2. The pattern is decreasing.

✓ $R_n = -2n + 128$ the difference between the sequence is 2, which is how you get $-2n$, and the y-intercept is 128.

$n=1$	$n=2$	$n=3$
$s_n = -2n + 128$	$s_n = -2n + 128$	$s_n = -2n + 128$
$s_n = -2(1) + 128$	$s_n = -2(2) + 128$	$s_n = -2(3) + 128$
$s(1) = 126$	$s(2) = 124$	$s(3) = 122$

Looking Back

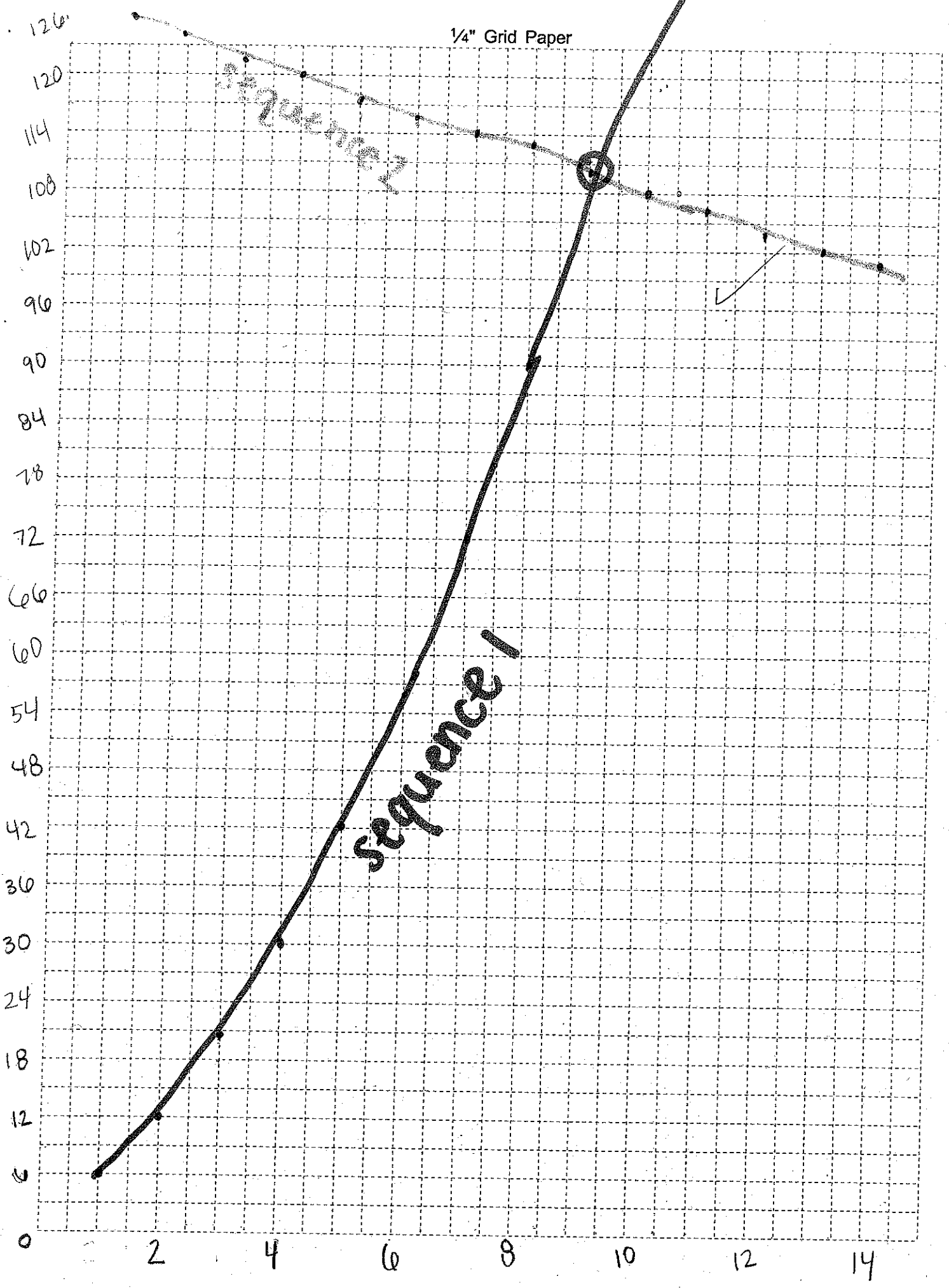
a) the algebraic rule for sequence 1 = $(n+1)^2 + (n+1)$
the algebraic rule for sequence 2 = $-2n + 128$

b) the graph is on separate sheet

c) the graph intersects at the 9th figure

d) the 9th figure in both sequences have 110 tiles. For $n < 9$, the n th figure in sequence 1 has less tiles than the n th figure in sequence 2. For $n > 9$, the n th figure in sequence 1 has more tiles than the n th figure in sequence 2.

1/4" Grid Paper



sequence 2

sequence 1

