

47.

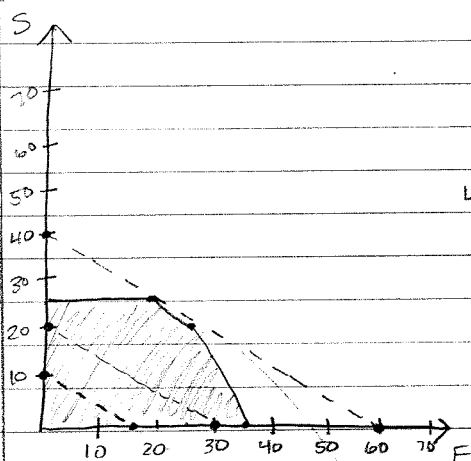
a Extreme points

$(0,0), (35,0), (0,25), (25,20), (18\frac{3}{4}, 25)$

$S=25 \Rightarrow \frac{2}{5}F + \frac{1}{2}(25) = 20 \Rightarrow \frac{2}{5}F + 12.5 = 20 \Rightarrow \frac{2}{5}F = 7.5 \Rightarrow F = 18.75$

b. Yes, it does, because the slope of the line changes, so as it moves positively outward it moves toward a different optimal point.

graph \rightarrow



$40F + 60S = 600$
 $F=0 \quad S=10 \quad F=15 \quad S=0$
 $40F + 60S = 1200$
 $F=0 \quad S=20 \quad F=30 \quad S=0$
 $40F + 60S = 2400$
 $F=0 \quad S=40 \quad F=60 \quad S=0$

The new optimal point is $(18\frac{3}{4}, 25)$

The new total is 2250.

c. $40F + 50S = 600$ $(0, 12)$
 $= 1200$ $(15, 0)$
 $= 1800$ $(9, 24)$
 $= 2000$ $(30, 0)$
 $(0, 30)$
 $(45, 0)$

There are now many optimal solutions.

Any point that lays on the line $\frac{2}{5}F + \frac{1}{2}S = 20$

between and including

the points $(18\frac{3}{4}, 25)$ and $(25, 20)$ that will give you a maximum value of 2000.

Since the profit line and the line $\frac{2}{5}F + \frac{1}{2}S = 20$

they must have the same slope. So $\frac{2}{5} \cdot 100 = 40$, $\frac{1}{2} \cdot 100 = 50$ so then you know this maximum profit will be $20 \cdot 100 = 2,000$.

