## A Model for Mr. Wheeler's Problem:

Assume  $c_{ij}$ ,  $d_j$ , and  $s_i$  are nonnegative constants and  $s_1 + s_2 - d_1 - d_2 - d_3 = 0$  for  $1 \le i \le 2$ ;  $1 \le j \le 3$ .

Minimize  $C = c_{11}x_{11} + c_{12}x_{12} + c_{13}x_{13} + c_{21}x_{21} + c_{22}x_{22} + c_{23}x_{23}$ st

<b>X</b> <sub>11</sub>	$+ x_{21}$		$\geq \mathbf{d}_1$
<b>X</b> <sub>12</sub>	+ x <sub>22</sub>		$\geq$ d <sub>2</sub>
	X <sub>13</sub>	+ x <sub>23</sub>	$\geq$ d <sub>3</sub>
$x_{11} + x_{12} + x_{13}$			$\leq s_1$
	$\mathbf{x}_{21} + \mathbf{x}_{22} + \mathbf{x}_{23}$		$\leq s_2$

and

 $x_{ij} \ge 0 \text{ for } 1 \le i \le 2; 1 \le j \le 3$ 

Show that under our assumptions our structural constrains can be equivalently written as a system of four equations in six unknowns.